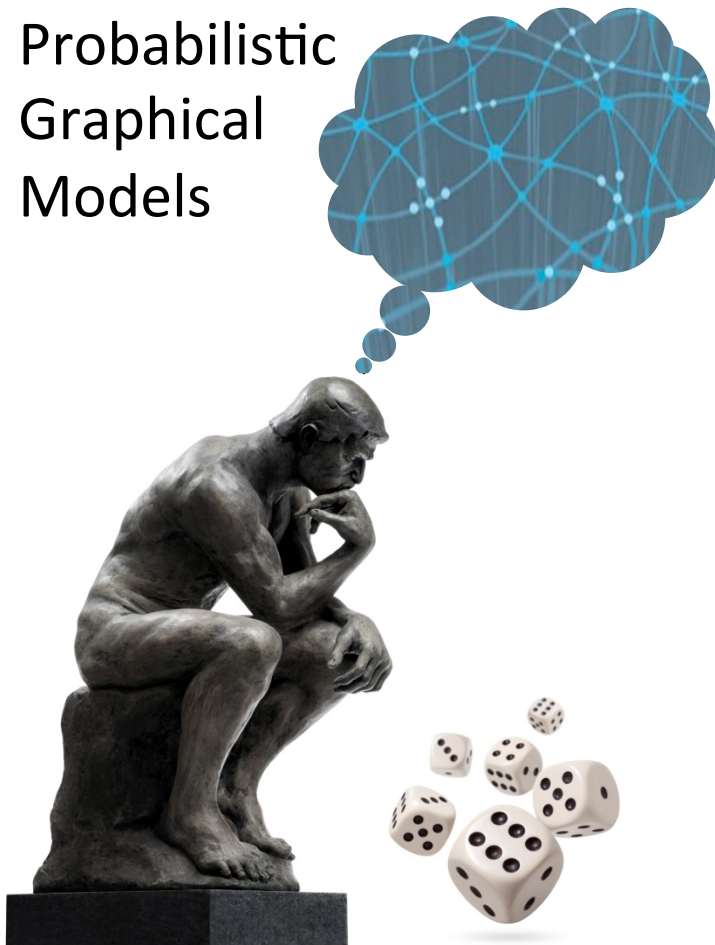


Probabilistic
Graphical
Models

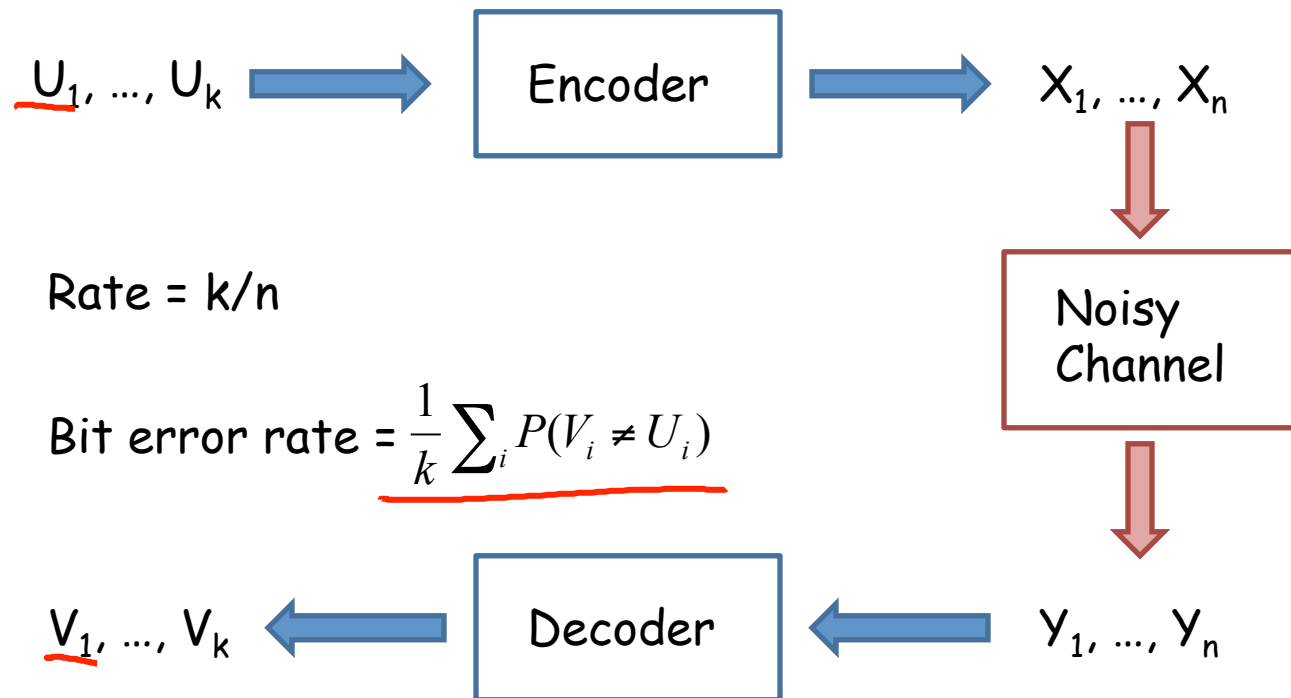


Inference

Message Passing

Loopy BP and
Message
Decoding

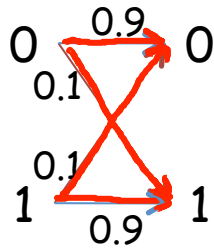
Message Coding & Decoding



Noisy
Channel

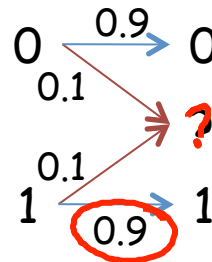
Channel Capacity

Binary
symmetric
channel

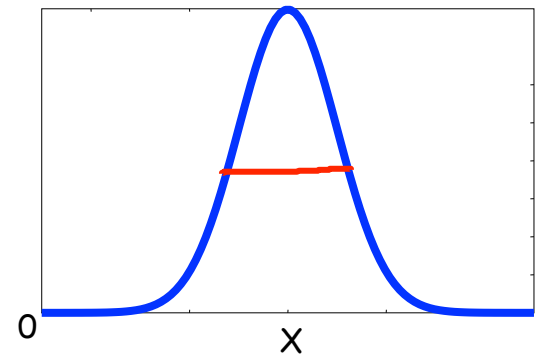


capacity = 0.531

Binary
erasure
channel

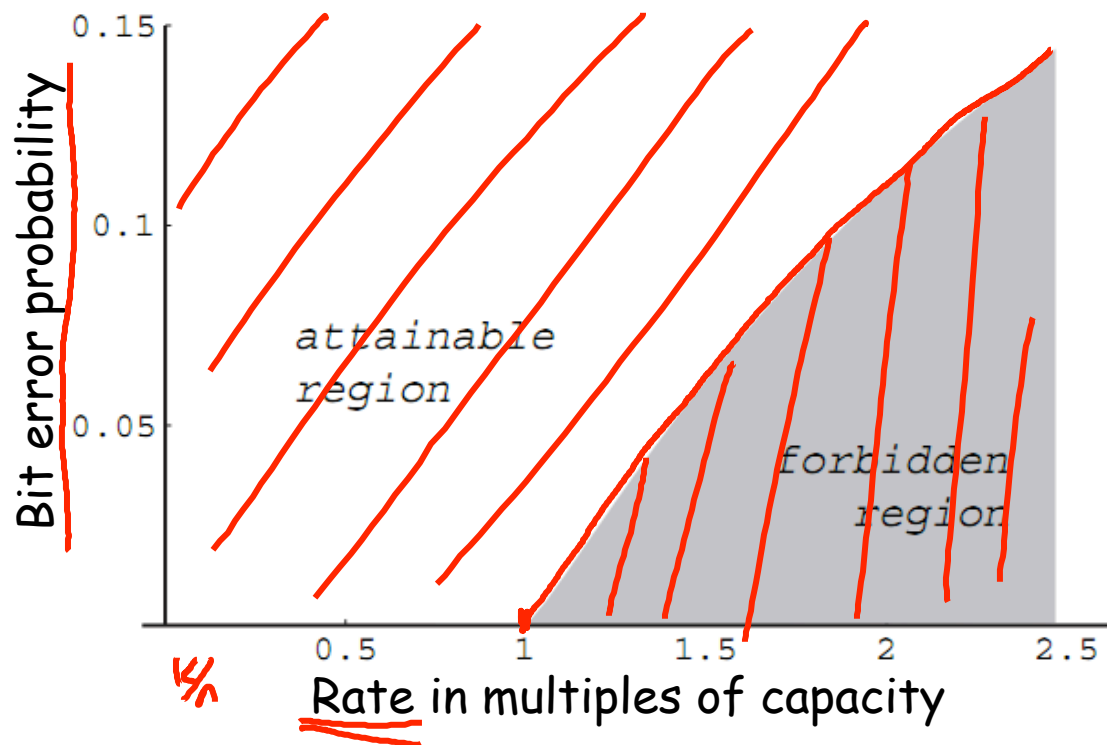


capacity = 0.9

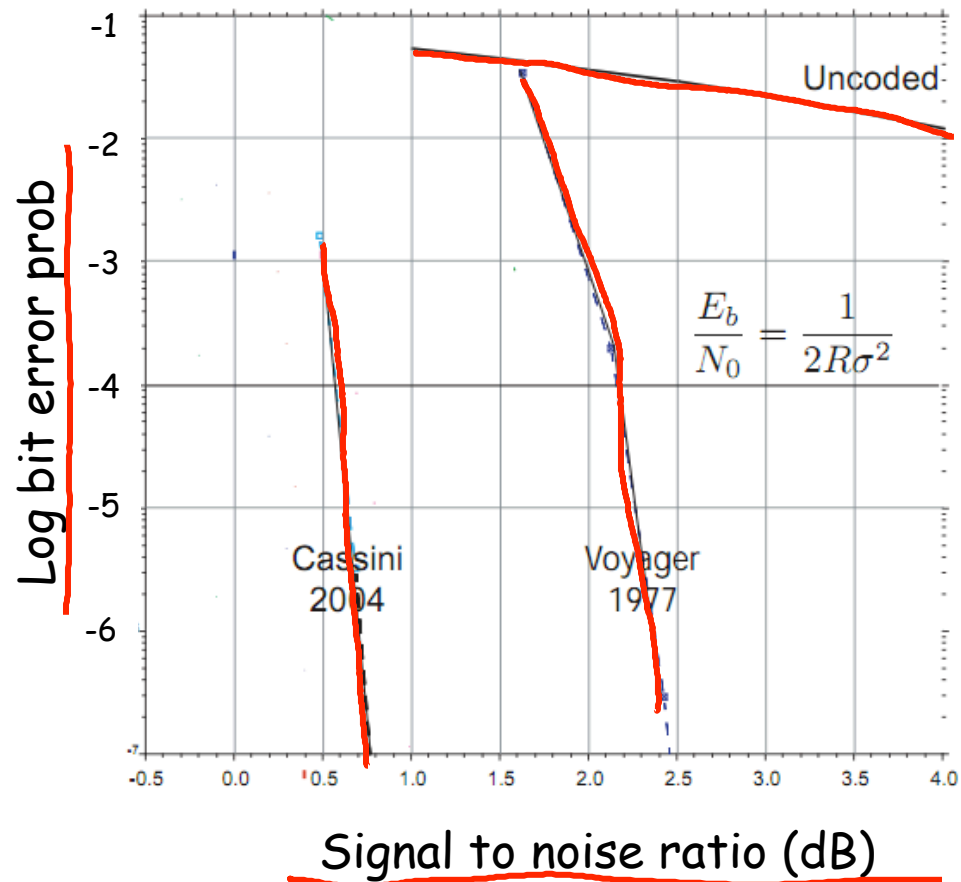


capacity = $\frac{1}{2} \log \left(1 + \frac{E(X^2)}{\sigma^2} \right)$

Shannon's Theorem



How close to C can we get?



TurboCodes (May 1993)

**NEAR SHANNON LIMIT ERROR - CORRECTING
CODING AND DECODING : TURBO-CODES (1)**

Claude Berrou, Alain Glavieux and Punya Thitimajshima

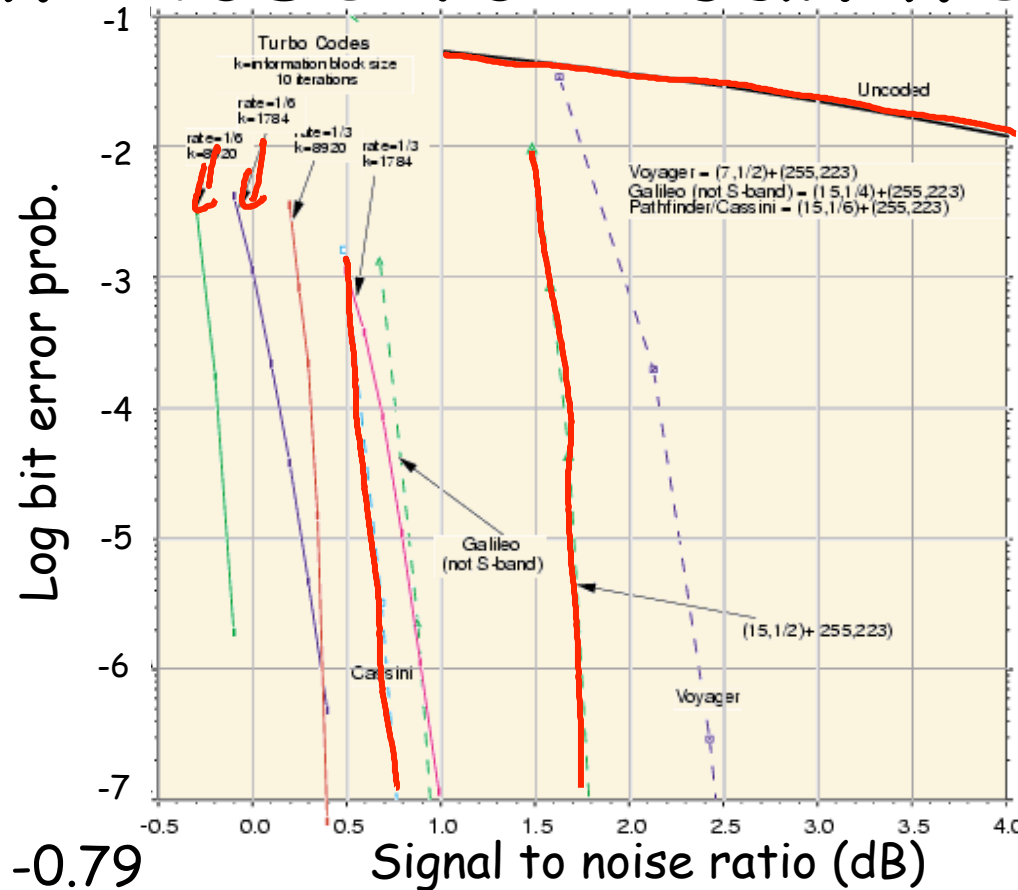
Claude Berrou, Integrated Circuits for Telecommunication Laboratory

Alain Glavieux and Punya Thitimajshima, Digital Communication Laboratory

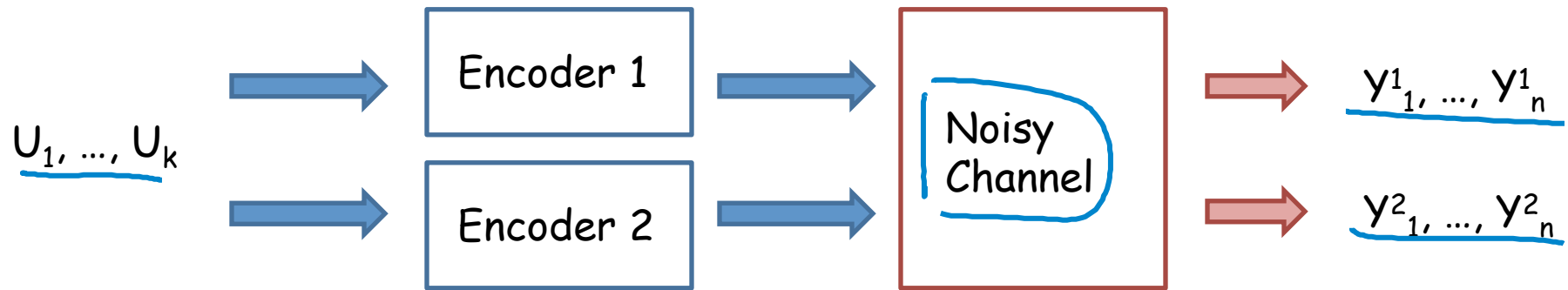
Ecole Nationale Supérieure des Télécommunications de Bretagne, France

(1) Patents N° 9105279 (France), N° 92460011.7 (Europe), N° 07/870,483 (USA)

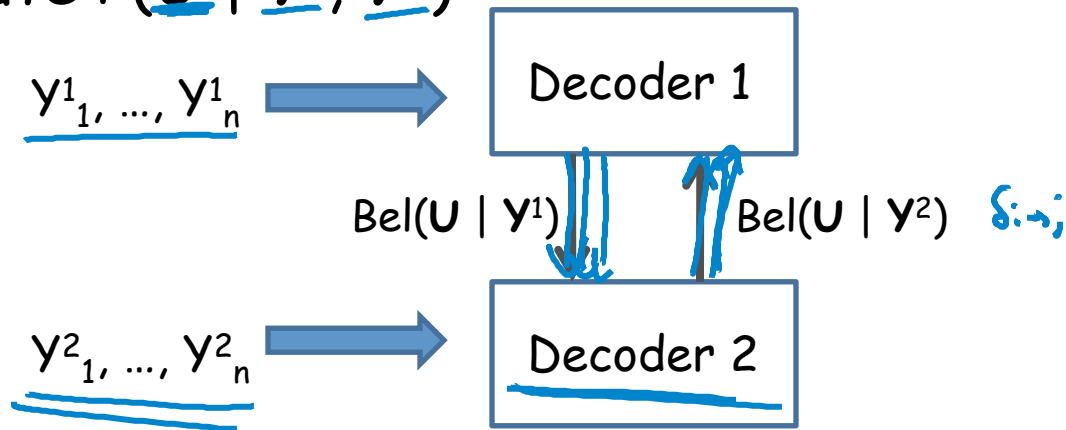
How close to C can we get?



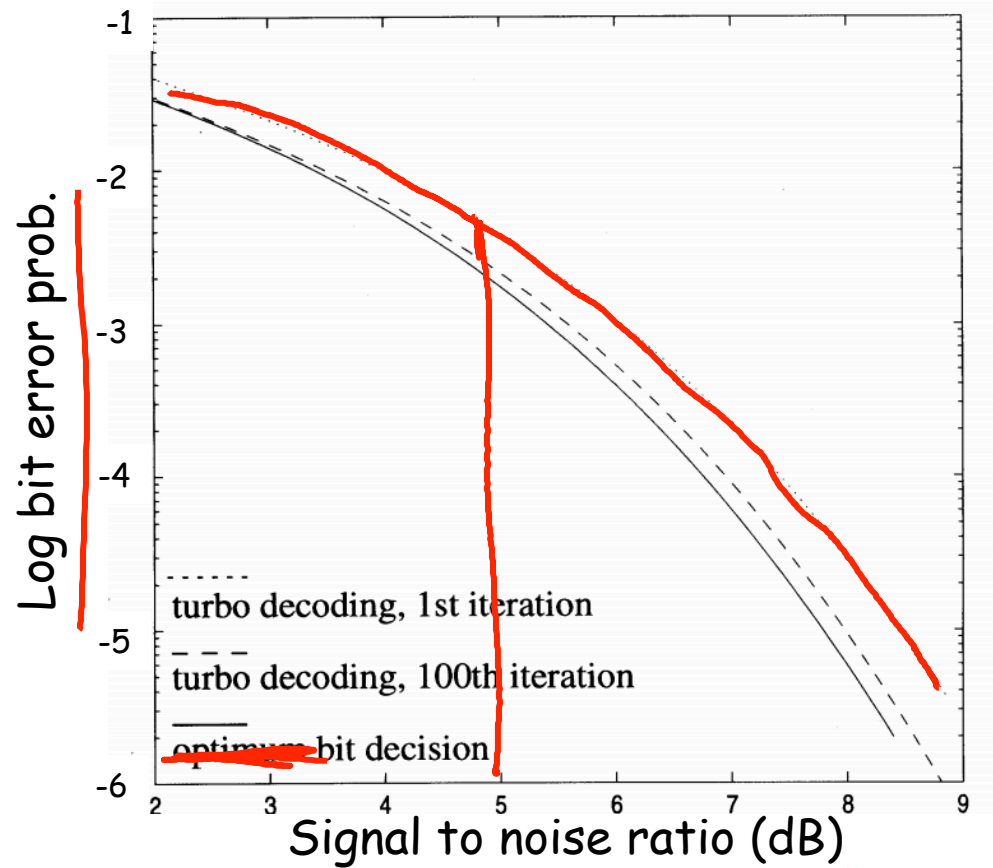
TurboCodes: The Idea



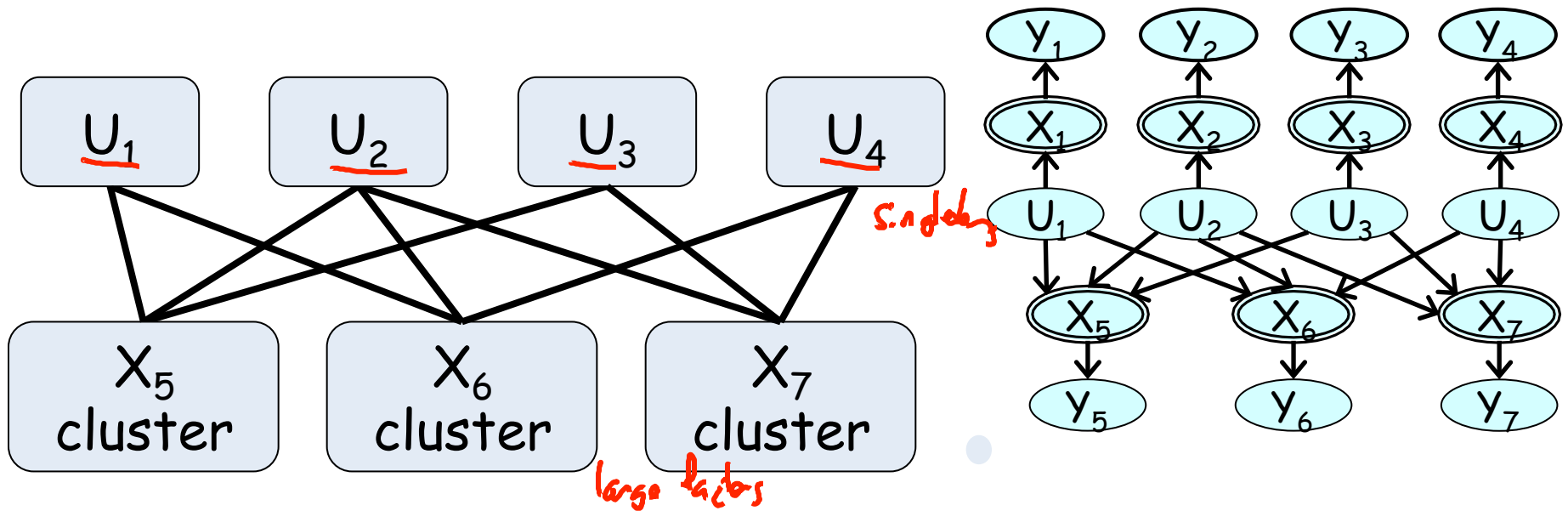
Compute $P(\underline{U} \mid \underline{y}^1, \underline{y}^2)$



Iterations of Turbo Decoding



Decoding as Loopy BP



Turbo-Codes & LDPCs

- 3G and 4G mobile telephony standards
- Mobile television system from Qualcomm
- Digital video broadcasting
- Satellite communication systems
- New NASA missions (e.g., Mars Orbiter)
- Wireless metropolitan network standard

Summary

- Loopy BP rediscovered by coding practitioners
- Understanding turbo codes as loopy BP led to development of many new and better codes
 - Current codes coming closer and closer to Shannon limit
- Resurgence of interest in BP led to much deeper understanding of approximate inference in graphical models
 - Many new algorithms